## YTU ELECTRICAL & ELECTRONICS FACULTY DEPARTMENT OF CONTROL & AUTOMATION ENGINEERING KOM3712 CONTROL SYSTEM DESIGN, Midterm Exam

Name and Surname:

Student number:

Signature: Date: April 10, 2019

Duration: 80 mins.

**Grades:** 

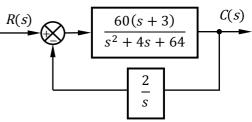
Problem-1. 20 Problem-2. 30

Problem-3. 30

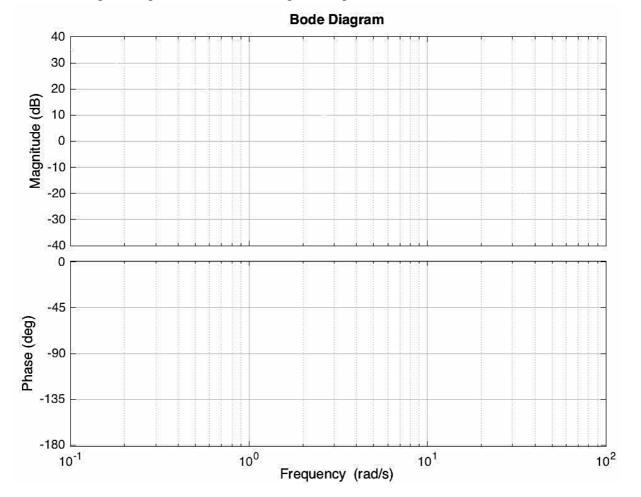
Problem-4.

**Problem-1.** Considering the feedback system on the right,

- (a) Sketch the Bode magnitude and phase plots with asymptotes on the logarithmic planes provided.
- **(b)** Write the slopes of each asymptotes on the plots.
- **(c)** Calculate the correction value in dB and show it on the magnitude plot for the underdamped components.

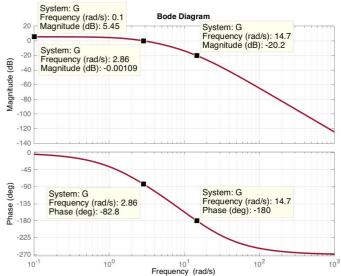


20



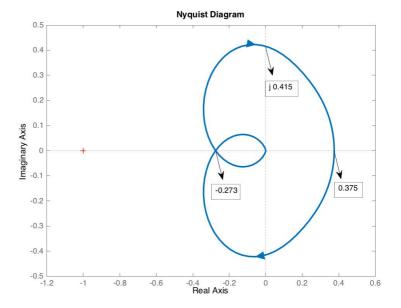
**Problem-2.** For the Bode plots on the right, which were obtained experimentally from a subsystem G(s) for the gain K=600,

- (a) Determine the Gain Margin in dB,
- **(b)** and Phase Margin in degrees when it is connected to a feedback system.
- (c) What is the value of gain,  $K_{cr}$ , that makes the system marginally stable?
- (d) What would be the period of oscillation,  $T_{cr}$ , in sec at this gain?
- **(e)** Write the range of gain *K* to keep the system stable.

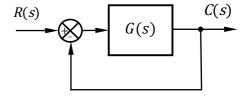


**Problem-3.** Suppose that the Nyquist diagram on the right is for a stable open-loop transfer function of a feedback control system when the gain is K=120. For the feedback system,

- (a) Find the range of gain *K* for stability using the Nyquist criterion.
- **(b)** Find the Gain Margin in dB.
- (c) What would be value of gain to get a gain margin of 20 dB?
- (d) What would be the real-axis crossing values of the Nyquist plot at that gain?



**Problem-4.** Considering the unity feedback system on the RHS, where the open-loop transfer function is,



$$G(s) = \frac{200,000}{s(s+40)(s+100)}$$

G(s) has the following Bode plots. As the phase margin has a low value (29°), the system produces a very high percent overshoot (over 40%). Determine the value of gain, K, to increase the phase margin to 50° so that the closed-loop step response can produce below 20% overshoot ( $\zeta = 0.48$ ).

