$\mathbf{L}=90+5 \times \mathbf{n}[m] ; \quad \mathbf{B}=(\mathbf{L} / 7.0) ; \quad \mathbf{T}=(\mathbf{B} / 2.5) ; \quad \mathbf{D}=\mathbf{H}=(\mathbf{L} / 12.0) ; \quad \mathbf{C}_{\mathbf{B}}=0.68$ ,where " $n$ " is the last digit of your student ID.

Frame spacing will be found from the following formula: $\quad \mathrm{a}=(\mathbf{L} / 500)+0,48[\mathrm{~m}]$

1. Determine the dimensions of the spotted structural member as "Q1" in Figure 1, using GL Rules. (25 points)
2. Calculate the maximum axial compressive load (in kN ) that may be safely carried by the spotted structural member as "Q2" in Figure 1, using GL Rules. (25 points)

Note that the structural member "Q2" has a rectangular cross section, which is a $120 \times 10$ flat bar section. Also note that the height of double bottom ( $h_{D B}$ ) is 1,25 metres.
3. Determine the dimensions of the spotted structural member as "Q3" in Figure 2, using GL Rules. (25 points)
4. Calculate the section modulus (SM) of $140 \times 70 \times 10$ angle section attached to a plate with a thickness of " $t$ ". The thickness needed for the calculation may be found by the following simple formula, where $\mathbf{L}$ is in $[m]$ ( 25 points):
$t=\sqrt{L}[\mathrm{~mm}]$
(Remember that a standard thickness value should be used!)

Also remember that: $\quad y_{N A}=\sum A_{i} y_{i} / \sum A_{i} ; \quad I_{N A}=\sum I_{i}+\sum A_{i} d_{i}^{2}$ and $S M=I_{N A} / y_{\max }$

Normal strength steel ( $\mathrm{ReH}_{\mathrm{eH}}=235$ [MPa]), whose modulus of elasticity ( E ) is 200 [GPa], is used. Service range is unlimited. Any other assumptions that may be needed for the calculations should be clearly stated. ( 90 minutes allowed)


