## **Quiz Questions**

- 1) Derive Sarah's labor supply function given that she has a utility function  $u(c, l) = c^{1/2} + 2l$ and her income is l = w(1 - l). What is the slope of her labor supply curve with respect to a change in the wage?
- 2) Suppose that the utility function of an individual is  $u(x, y) = \min\{x, y\}$  and her budget constraint is  $I = p_x x + p_y y$ . The prices are initially  $(p_x, p_y) = (1, 1)$ .
  - a) Find the optimal consumption bundle graphically.
  - b) Suppose that the price of x rises to  $p_x = 2$ . Calculate the income effect and the substitution effect.
- 3) George views leisure as a normal good. He works at a job that pays *w* an hour. Use a laborleisure analysis to compare the effects on the hours heworks from a marginal tax rate on his wage, t or a lump-sum tax (a tax collected regardless of the number of hours he works), *T*. If the per-hour tax is used, he works 10 hours and earns (1 - t)10w. The government sets T =t10w, so that it collects the same amount of money from either tax. Which tax is likely to reduce George's hours of work more, and why? (*Hint*: See Solved Problem 5.4.)
- 4) Sally's utility function is  $u(x, y) = x^{1/2} + y^{1/2}$  and her pudget constraint is  $I = p_x x + p_y y$ . Derive the demand for x and y.
- 5) The preferences of an individual is given by the indifference curves depicted below. Use the graphical tools developed in the class to derive his demand for x and y.

