Yıldız Technical University
Civil Engineering Department

ngineering Economy

What is engineering?

- **Engineering** is the discipline, art, skill and profession of acquiring and applying scientific, mathematical, economic, social, and practical knowledge, in order to design and build structures, machines, devices, systems, materials and processes that safely realize improvements to the lives of people.
- Wellington defined Engineering as the science "of doing for a dollar what any fool can do with two, in a fashion."
- According to these definitions, engineers should consider the economic side of all processes performed in creating an output.

The role of an engineering in business life

- To participate in many decision making stages; (such as processes, manufacturing, marketing and finance),
- Making replacement and retention decisions,
- Design of products.

Economics

"Economics is the study of how people and society choose to employ scarce resources that could have alternative uses in order to produce various commodities and to distribute them for consumption, now or in the future, …"

Engineering economy

- Engineering economy involves formulating, estimating, and evaluating the economic outcomes when alternatives to accomplish a defined purpose are available.
- Engineering economy is at the heart of making decisions.
- The principles and methodologies of engineering economy can be used in wide range of application area, including design, technical and general management.
- If there are costs and revenues in a business, the principles of engineering economy can be exploited.

Engineering economy

- Do not forget that the decisions about the future should be given by you.
- Engineering economy is the combination of tools that help you to give these decisions. In other words, these tools do not give decisions instead of you.
- Engineering economy depends on the assumptions related to the future, in other words it deals with the risks and uncertainties about the future.
- The parameters related to the engineering can vary within the time.

Why do engineers need to learn about engineering economy?

- The decisions made by engineers decide how the financial resources will be exploited. For example,
  - A new product development
  - Replacement of existing machine
  - Build or buy decisions
  - Select the best design alternative between different alternatives
- The engineers do not have unlimited resources, in other words they work with limited resources, therefore these resources should be used effectively.
- Consequently, these resources do not belong to the companies. Most of the financial resources are provided by using bank credits. Even, the capital of the companies are provided by the debts given by the shareholders of the company. All these financial resources have costs.
- Engineering economy provides systematic approach and tools in decision making process.

Decision making process

- Understand the problem
- Analyse the problem
  - Define the objectives and purposes
  - Collect relevant information
- Define the feasible alternative solutions and make realistic estimates.
- Identify the criteria for decision making using one or more attributes.
- Evaluate each alternative, using sensitivity analysis to enhance the evaluation.
- Select the best alternative.
- Implement the solution.
- Monitor the results.

Decision making process

- Understand the problem (Need for a car)
- Analyse the problem
  - Define the objectives and purposes (Renting a sturdy car which has a low monthly instalments)
  - Collect relevant information (Collection of technical and financial information)
- Define the feasible alternative solutions and make realistic estimates. (rent of Honda or Hyundai)
- Identify the criteria for decision making using one or more attributes. (To satisfy the current and future necessities by following the limitations)
- Evaluate each alternative. (Consider two alternatives according to the criterions)
- Select the best alternative.(Honda)
- Implement the solution. (Drive Honda for a period)
- Monitor the results. (Compare the actual outputs with the limitations)

Principles of Engineering economy

1. Alternatives should be developed.
2. The differences between the alternatives should be considered.
3. The alternatives should be developed by following a logical perspective.
4. The alternatives should be evaluated by using a common unit.
5. The criterions should be determined in evaluation process.
6. The outputs of alternatives consist of risk and uncertainty.
7. The outputs determined from the alternatives should be compared with the planned outputs.

Break even analysis

Break even analysis

- Breakeven analysis determines the value of a parameter or decision variable that makes two relations equal. For example, breakeven analysis can determine the required years of use to recover the initial investment and annual operating costs.
- **Break even point** is the point where net profit is zero. In other words, the revenue is equal to the total costs.

$$\text{Profit} = 0$$

$$\text{Revenue} = \text{Costs}$$

- Break even analyses can be performed by using graphical method, trial and error method and mathematical calculations.

Breakeven Applications

- Four major applications:
  1. New product decisions
  2. Pricing decisions
  3. Modernization or automation decisions.
  4. Expansion decisions.

Breakeven Applications

1. **New product decisions**
   - Determine sales volume required for firm (or individual product) to break even, given expected sales and expected costs
2. **Pricing decisions**
   - Study the effect of changing price and volume relationships on total profits

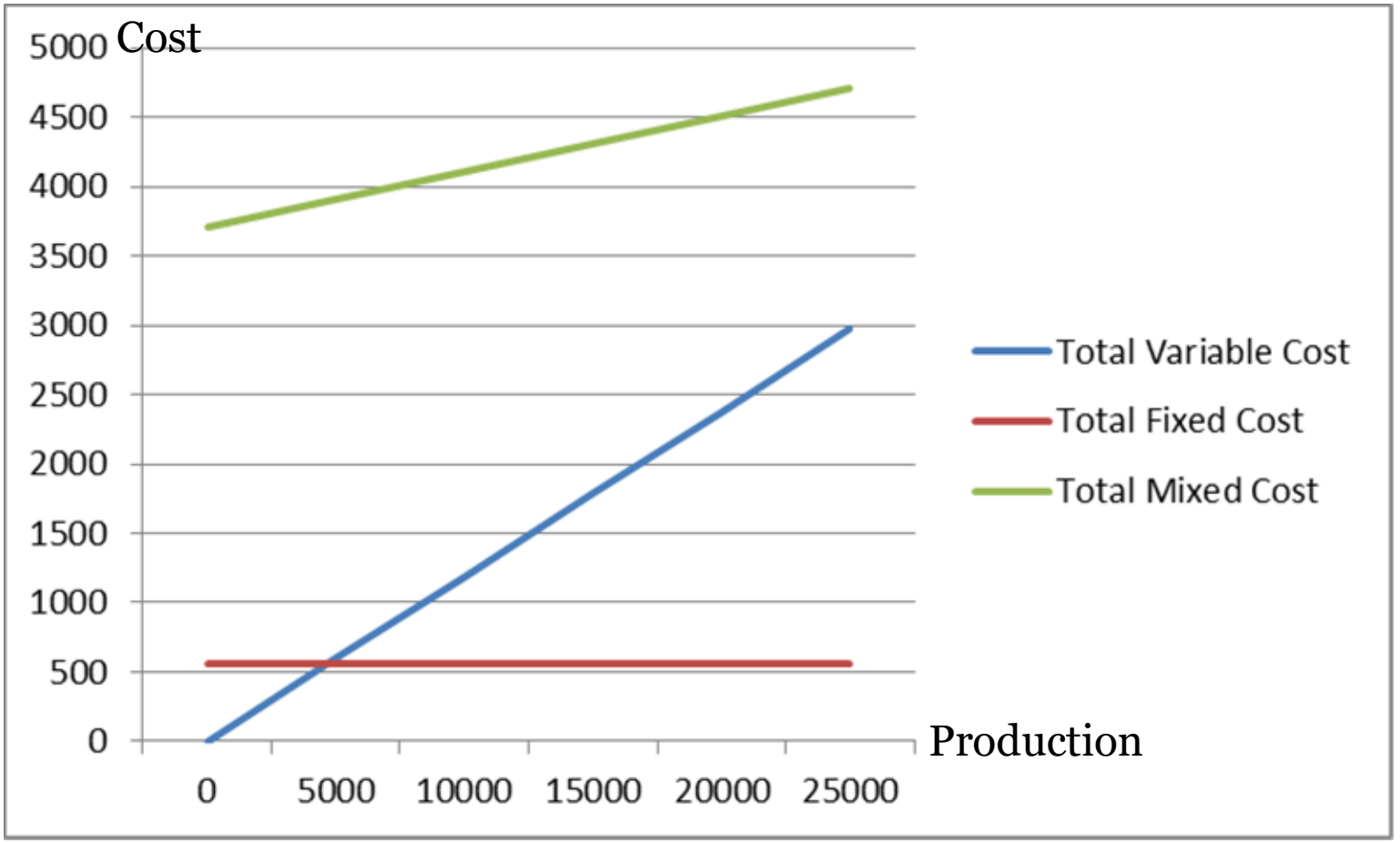
Breakeven Analysis

3. **Modernization or automation decisions**
   - Analyze profit implications of a modernization or automation program
4. **Expansion decisions**
   - Study aggregate effect of general expansion in production and sales

Costs

- Fixed Costs
  - The costs of providing a company's basic operating capacity are known as the company's fixed costs. The fixed costs do not change within a given time period, although volume may change. For example, insurance, taxes, rents and administration fees.
- Variable Costs
  - Variable costs have a close relationship to the level of volume of business. Direct labor and material, gasoline.
- Mixed Costs
  - Some costs do not fall precisely into either the fixed or variable costs category, but contain elements of both. Depreciation, electricity consumption.

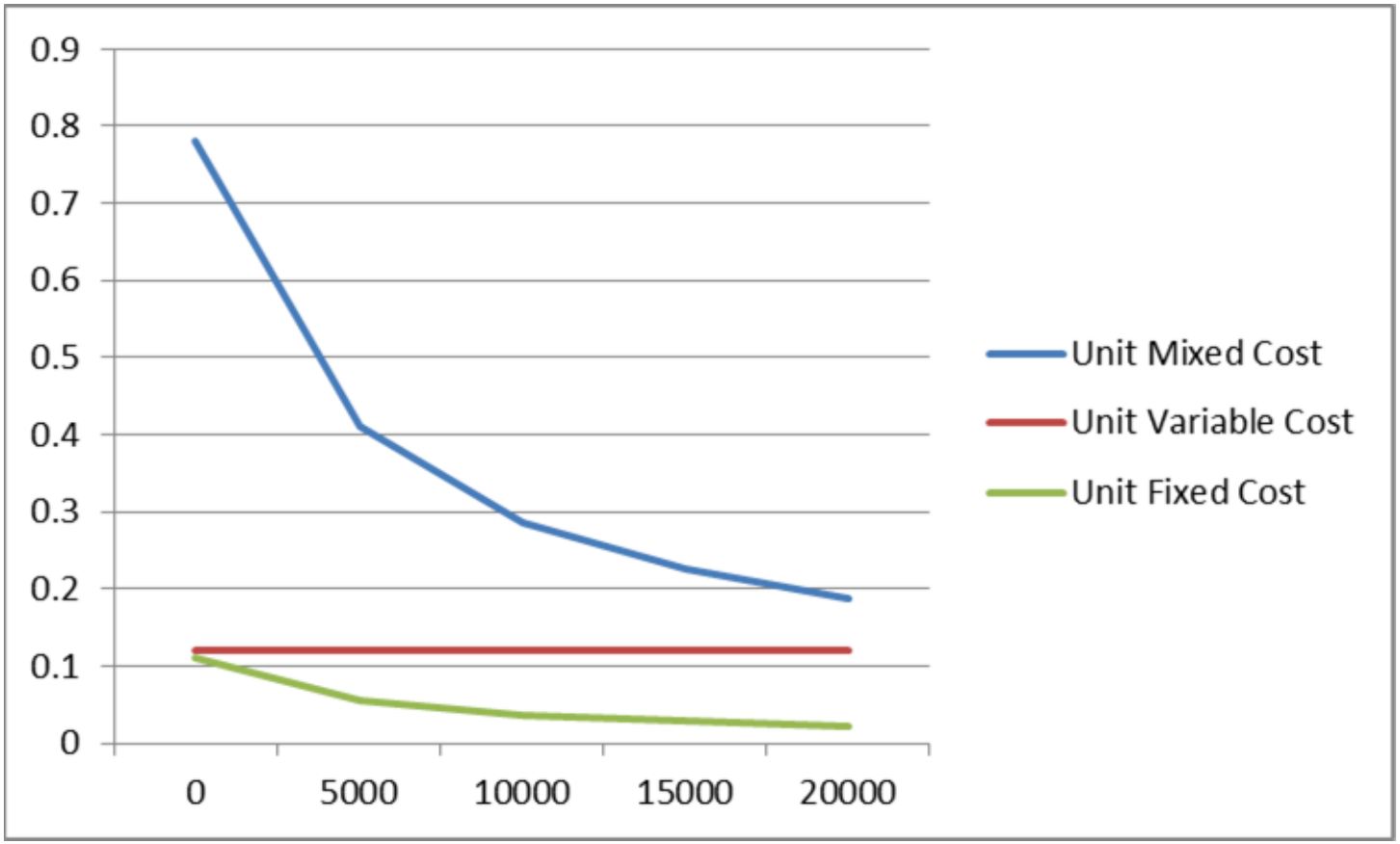
Graph of total cost vs production



Average Unit Cost

- The cost spent to produce a unit product. It is calculated by dividing the total cost of production to the total production.
- Fixed Costs
  - Fixed cost per unit varies with changes in volume: As the volume increases, the fixed cost per unit decreases.
- Variable Costs
  - The variable cost per unit of volume is a constant.
- Mixed Costs
  - The mixed cost per unit also changes as volume changes.

Unit Cost vs Production Graph



The cost of using a car

Cost classification		Reference	Cost
Variable cost			
The mile driven per gallon		20 mile/gallon	
The average fuel price		$1.34/galon	
Fuel consumption per mile			$0.0689
Maintenance cost per mile			$0.0360
Wheel cost per mile			$0.0141
Annual fixed costs			
Insurance			
Compulsory			$90
Private			$147
Personnel injuries and asset damage			$960
License plate			$95
Taxes			$372
Mixed Costs (Depreciation)			
Annual Fixed Cost			$3703
Variable Cost per mile			$0.04

Produce or buy decision

- Company A produces 20000 units of gas filters for engines annually. The predicted annual production costs are tabulated

The direct material cost	$100,000
The direct labor cost	$9.5/unit
Energy and water	$1.75/unit
Rent for the factory	$20,000
Administration costs	$20,000
Depreciation	$100,000

Produce or buy decision

Company B proposes that they can sell 20000 units of gas filters whose unit cost is $17.00/ unit. If Company A accepts this offer, they can rent the factory to a third party with $35000 price per year. Should the Company A accept this offer or should they keep producing?

Produce or buy decision

	Produce option	Purchase option	Difference
Variable costs			
Direct material cost	$100,000		-$100,000
Direct labor cost	$190,000		-$190,000
Energy and water	$35,000		-$35,000
Gas filters		$340,000	$340,000
Fixed costs			
Lightining	$20,000	$20,000	0
Depreciation	$100,000	$100,000	0
Rent		-$35,000	-$35,000
Total Cost	$445,000	$425,000	-$20,000
Unit Cost	$22.25	$21.25	-$1.00

Operation planning example

A company has one of its manufacturing plants operating on a single-shift five-day week. The plant is operating at its full capacity (24,000 units of output per week) without the use of overtime or extra shifts. Fixed costs for single-shift operation amount to $90,000 per week. The average variable cost is a constant $30 per unit, at all output rates, up to 24,000 units per week. The company has received an order to produce an extra 4,000 units per week beyond the current single-shift maximum capacity. Two options are being considered to fill the new order:

- Option 1.

Increase the plant's output to 36,000 units a week by adding over-time, by adding Saturday operations or both. No increase in fixed costs is entailed, but the variable cost is $36 per unit for any output in excess of 24,000 units per week, up to a 36,000-unit capacity.

- Option 2.

Operate a second shift. The maximum capacity of the second shift is 21,000 units per week. The variable cost of the second shift is $31.50 per unit, and the operation of a second shift entails additional fixed costs of $13,500 per week. Determine the range of operating volume that will make Option 2 profitable.

Operation planning example

- Option 1: over time: 36Q
- Option 2: second shift: $13,500 + 31.50Q
- Break even point:

  36Q = $13,500 + 31.50Q

  Q = 3,000 unit

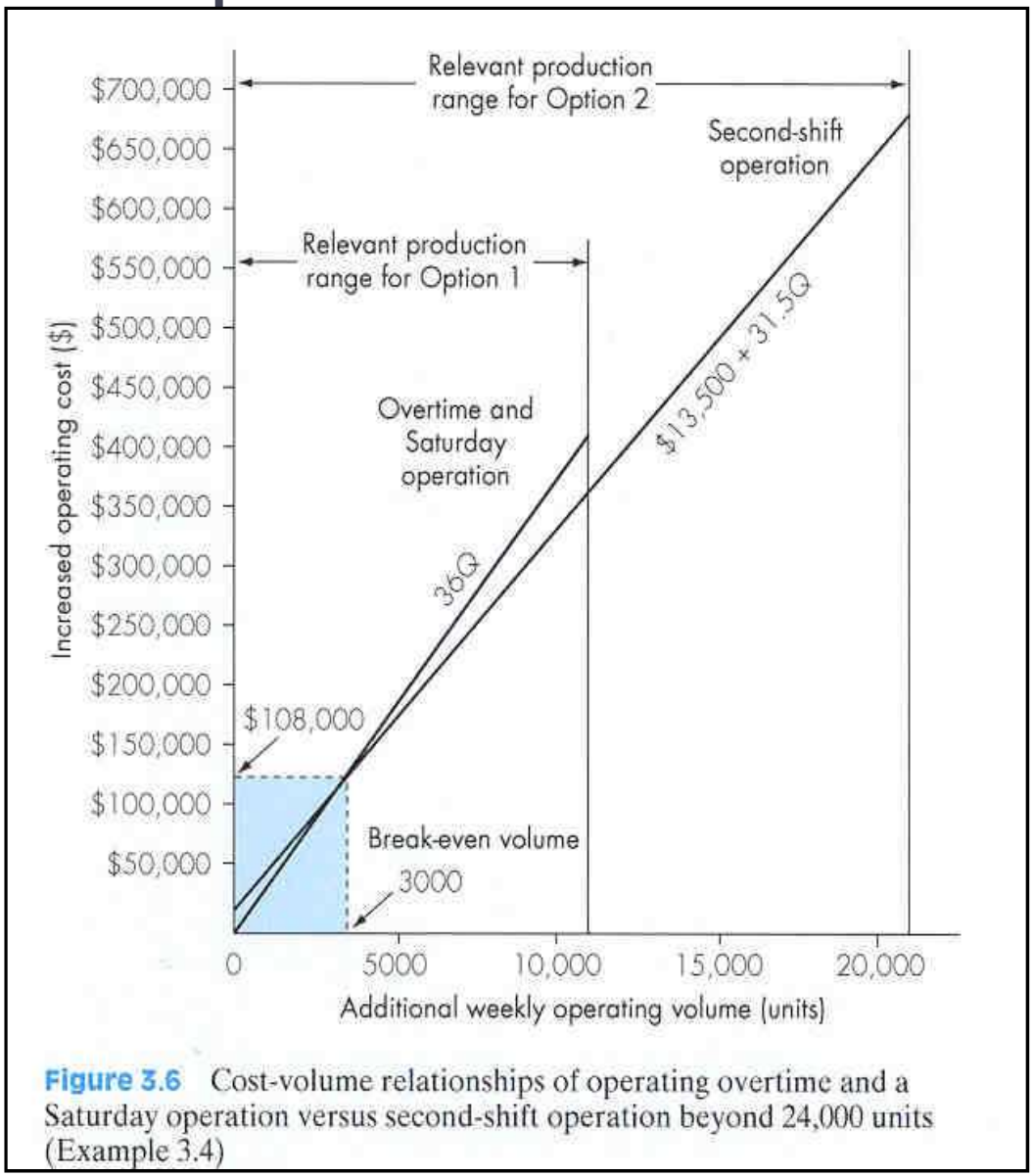


Figure 3.6 Cost-volume relationships of operating overtime and a Saturday operation versus second-shift operation beyond 24,000 units (Example 3.4)

Cost Function

- Fixed cost (s_1)
- Variable cost ($d_1 * q$)
- Mixed cost ($s_2 + d_2 * q$)

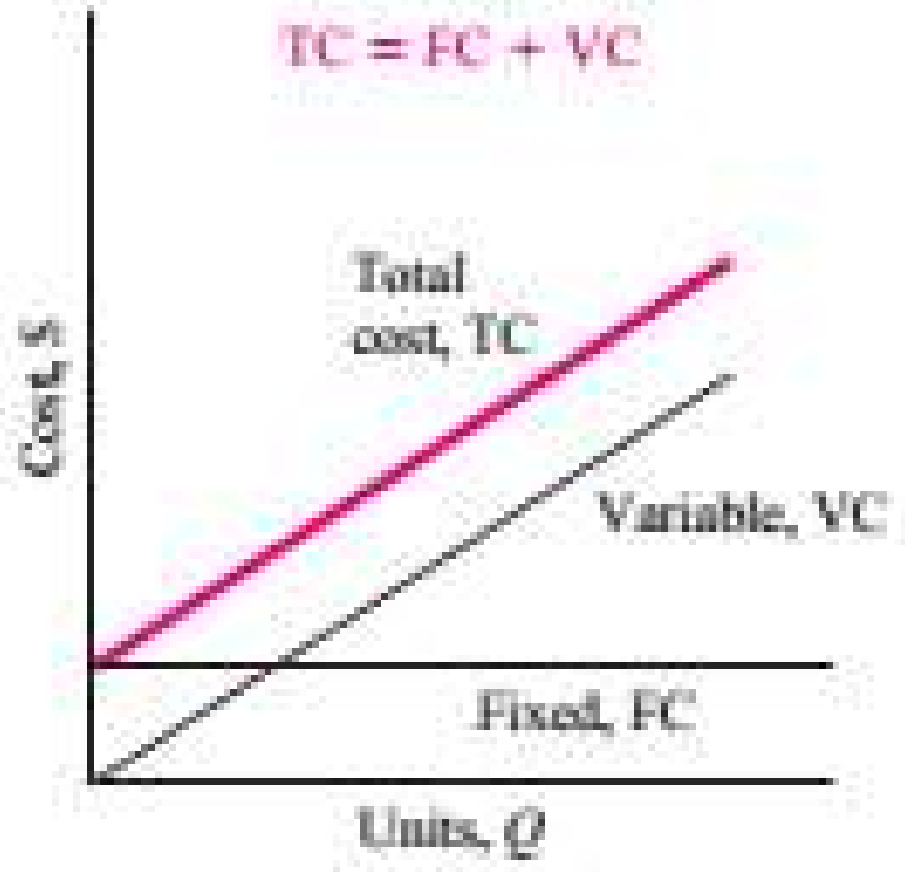
$C(q) = s_1 + d_1 * q + s_2 + d_2 * q$ ➔

$C(q) = (s_1 + s_2) + q * (d_1 + d_2)$ ➔

$C(q) = S + q * D$

(If it is constant)

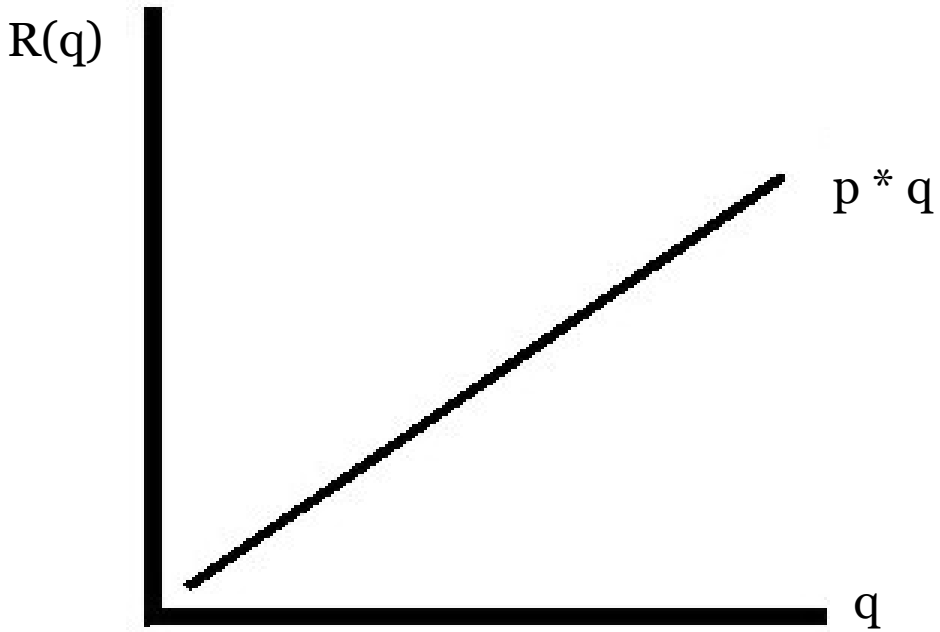
Cost Function



Revenue Function

- $R(q , p) = q*p$

(If it is constant)



Profit Function

- $K(q) = R(q) - C(q)$
- $K(q) = p*q - (s + d*q)$
- $K(q) = q*(p-d) - s$

Example 1

- A toy company has to spend $10.25 to produce a toy. In addition, the fixed cost of this company is determined as $1302. The price of each toy is $15.50;
  1. What is the cost function of this toy?
  2. What is the revenue function of this toy?
  3. What is the profit function of this toy?

Example 1

- C(q) = 10,25 * q – 1302
- R(q) = 15,50q
- K(q) = 15,50q- 10,25q -1302
- K(q) = 5,25q - 1302

Example 2

- X company wants to calculate the capacity for producing product M. According to the studies, the revenue function of M product is determined as r(q)= 0,13*q^2-15*q+50 and unit cost function is calculated as c(q)= 0,10*q^2-10q+40. According to these findings, determine the capacity in order to earn maximum profit.

Example 2

- TK = (0,13*q^2-15*q+50)*q–(0,10*q^2-10q+40)*q
- TK = 0,03*q^3 – 5*q^2+ 10*q
- Türevi alınır
- $\frac{dTK}{dq}$ = 0,09*q^2- 10*q+10
- 0,09*q^2- 10*q+10 = 0
- $\frac{-b \pm \sqrt{\Delta}}{2a}$ ➔ $\Delta = b^2 - 4ac$
- $\Delta = 100 - 4 * 0{,}09 * 10$
- $\Delta = 96{,}4$
- $\frac{10 \pm \sqrt{96{,}4}}{2*0{,}09}$ $q_1 = 1{,}01$ $q_2 = 110{,}1$

Example 3

- A watch company spends $73,000 monthly as a fixed cost to produce watches whose variable cost per unit is $83. The selling price of this watch company is calculated by using this function, p=$180-0,02q. Determine the total quantity of product to maximize the profit and break even point.

Example 3

- C(q) = 73000+83 * q
- R(q) = (180 -0,02q) * q
- TK (q) = (180q -0,02q^2)- 73000 – 83q
- TK (q) = 97q – 0,02q^2 -73000
- $\frac{dTK}{dq}$ = 97 -0,04q
- 97 -0,04q = 0
- q=2425 unit
- TK = (180q -0,02q^2)- 73000 – 83q
- TK = (180*2425 – 0,02*2425^2) – 73000- 83*2425
- TK = 44612

Example 3

- $97q - 0{,}02q\text{^}2 - 73000 = 0$
- $\frac{-b \pm \sqrt{\Delta}}{2a}$ ➔ $\Delta = b^2 - 4ac$
- $q_1 = 931{,}48 \quad q_2 = 3918{,}53$

Example 4

- Company X wants to publish an engineering economy book. What is the break even point of this book according to the data given below.
- **Price of the book** = 500 TL
- **Fixed Costs;**
  - Royalty costs = 300 000 TL
  - Editing costs = 80 000 TL
  - Typography costs = 150 000 TL

Total = 530 000 TL

Example 4

- **Variable Costs;**
  - Printing = 35 TL
  - Ink and paper = 110 TL
  - Discounts = 50 TL
  - Other variable costs = 5 TL

  Total = 200 TL

Cost(q)= 530000+200q

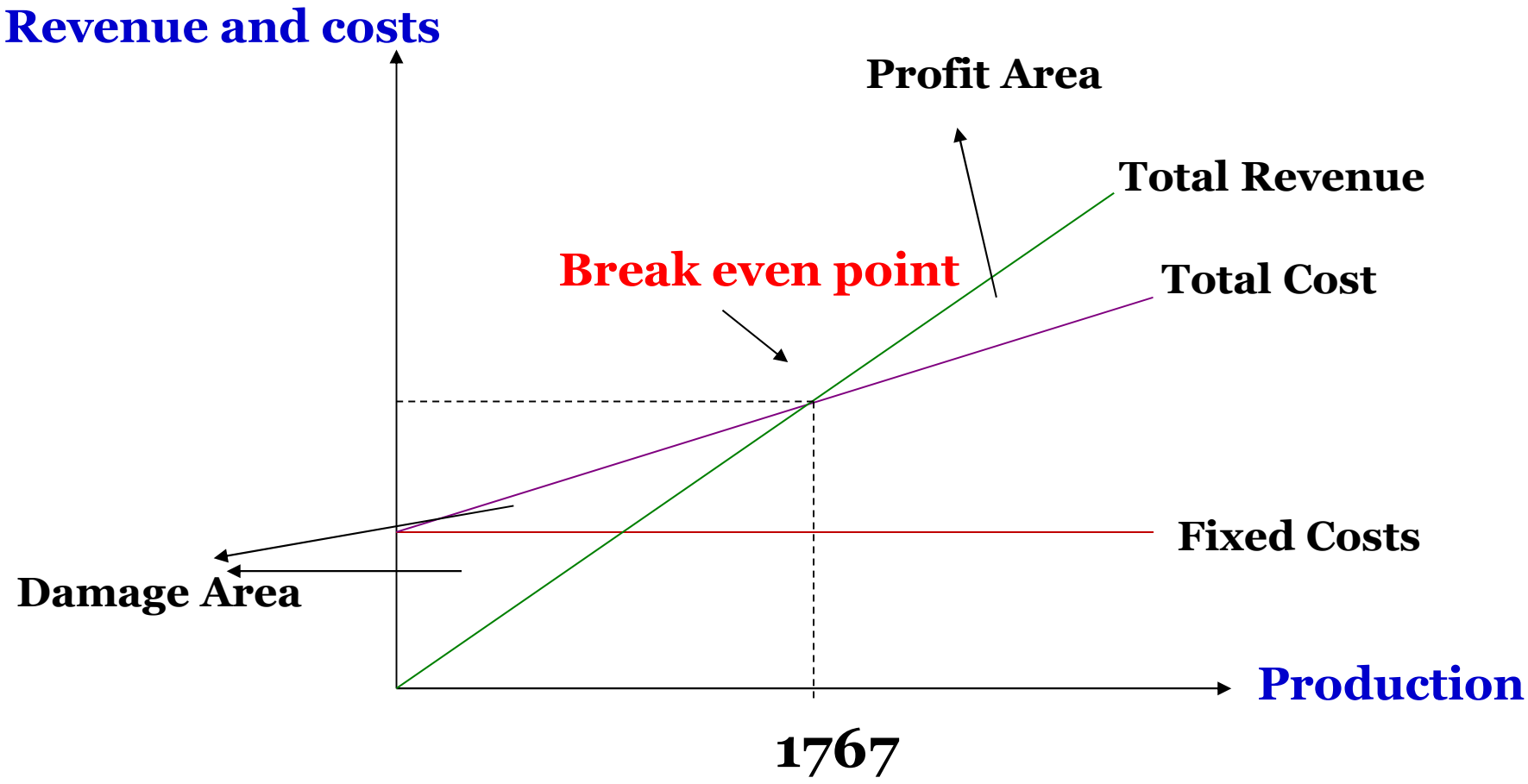
Revenue(q)= 500q

Profit(q)=500q-530000-200q =0 for break even point

q = 530 000 / (500 – 200)

= 1767 units

Example 4


Revenue and costs
Profit Area
Total Revenue
Break even point
Total Cost
Fixed Costs
Damage Area
Production
1767